

EMC Formulas

Term Conversion in 50Ω Environment

	Log		Linear
dBμV to dBm	$dBm = dBμV - 107$		
dBμA to dBm	$dBm = dBμA - 73$	Volts to Watts	$Watts = \frac{Volts^2}{50}$
dBm to dBμV	$dBμV = dBm + 107$	Amps to Watts	$Watts = Amps^2 \cdot 50$
dBμA to dBμV	$dBμV = dBμA + 34$	Watts to Volts	$Volts = \sqrt{Watts \cdot 50}$
dBm to dBμA	$dBμA = dBm + 73$	Amps to Volts	$Volts = Amps \cdot 50$
dBμV to dBμA	$dBμA = dBμV - 34$	Watts to Amps	$Amps = \sqrt{\frac{Watts}{50}}$
	Log ⇔ Linear	Volts to Amps	$Amps = \frac{Volts}{50}$
Volts to dBm	$dBm = 20 \cdot \text{Log}(Volts) + 13$		
Amps to dBm	$dBm = 20 \cdot \text{Log}(Amps) + 47$	Unit Conversion	
Watts to dBμV	$dBμV = 10 \cdot \text{Log}(watts) + 137$		Log ⇔ Linear
Amps to dBμV	$dBμV = 20 \cdot \text{Log}(Amps) + 154$	Watts to dBm	$dBm = 10 \cdot \text{Log}(Watts) + 30$
Watts to dBμA	$dBμA = 10 \cdot \text{Log}(Watts) + 103$	Volts to dBμV	$dBμV = 20 \cdot \log(Volts) + 120$
Volts to dBμA	$dBμA = 20 \cdot \text{Log}(Volts) + 86$	Amps to dBμA	$dBμA = 20 \cdot \log(Amps) + 120$
	Log ⇔ Linear	Ω to dBΩ	$dBΩ = 20 \cdot \log(Ω)$
dBμV to Watts	$Watts = 10^{\left(\frac{dBμV - 137}{10}\right)}$	Used for the conversion of Voltage & Current	
dBμA to Watts	$Watts = 10^{\left(\frac{dBμA - 103}{10}\right)}$		Log ⇔ Linear
dBm to Volts	$Volts = 10^{\left(\frac{dBm - 13}{20}\right)}$	dBm to Watts	$Watts = 10^{\left(\frac{dBm - 30}{10}\right)}$
dBμA to Volts	$Volts = 10^{\left(\frac{dBμA - 86}{20}\right)}$	dBμV to Volts	$Volts = 10^{\left(\frac{dBμV - 120}{20}\right)}$
dBm to Amps	$Amps = 10^{\left(\frac{dBm - 47}{20}\right)}$	dBμA to Amps	$Amps = 10^{\left(\frac{dBμA - 120}{20}\right)}$
dBμV to Amps	$Amps = 10^{\left(\frac{dBμV - 154}{20}\right)}$	dBΩ to Ω	$Ω = 10^{\left(\frac{dBΩ}{20}\right)}$

Term Conversion / Ohms law

Log

$$\text{dB}\mu\text{V to dBm} \quad dBm = dB\mu V - 10 \cdot \text{Log}(\Omega) - 90$$

$$\text{dB}\mu\text{A to dBm} \quad dBm = dB\mu A + 10 \cdot \text{Log}(\Omega) - 90$$

$$\text{dBm to dB}\mu\text{V} \quad dB\mu V = dBm + 10 \cdot \text{Log}(\Omega) + 90$$

$$\text{dB}\mu\text{A to dB}\mu\text{V} \quad dB\mu V = dB\mu A + 20 \cdot \text{Log}(\Omega)$$

$$\text{dBm to dB}\mu\text{A} \quad dB\mu A = dBm - 10 \cdot \text{Log}(\Omega) + 90$$

$$\text{dB}\mu\text{V to dB}\mu\text{A} \quad dB\mu A = dB\mu V - 20 \cdot \text{Log}(\Omega)$$

Linear

$$\text{Find Watts} \quad \text{Watts} = \text{Amps}^2 \cdot \Omega, \quad \text{Watts} = \frac{\text{Volts}^2}{\Omega}$$

$$\text{Find Volts} \quad \text{Volts} = \text{Amps} \cdot \Omega, \quad \text{Volts} = \sqrt{\text{Watts} \cdot \Omega}$$

$$\text{Find Amps} \quad \text{Amps} = \sqrt{\frac{\text{Watts}}{\Omega}}, \quad \text{Amps} = \frac{\text{Volts}}{\Omega}$$

dB Calculations

$$\text{dB } \Delta \text{ Watts} \quad dB = 10 \text{Log} \left(\frac{\text{Watts}_1}{\text{Watts}_2} \right)$$

$$\text{dB } \Delta \text{ Volts} \quad dB = 20 \text{Log} \left(\frac{\text{Volts}_1}{\text{Volts}_2} \right)$$

$$\text{dB } \Delta \text{ Amps} \quad dB = 20 \text{Log} \left(\frac{\text{Amps}_1}{\text{Amps}_2} \right)$$

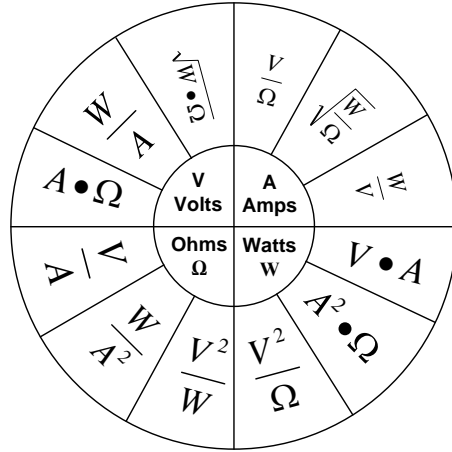
$$\text{New Watts w/dB } \Delta \quad \text{Watts}_{\text{New}} = 10^{\left(\frac{dB\Delta + 10 \cdot \text{Log}(\text{Watts}_{\text{start}})}{10} \right)}$$

$$\text{New Volts w/dB } \Delta \quad \text{Volts}_{\text{New}} = 10^{\left(\frac{dB\Delta + 20 \cdot \text{Log}(\text{Volts}_{\text{start}})}{20} \right)}$$

$$\text{New Amps w/dB } \Delta \quad \text{Amps}_{\text{New}} = 10^{\left(\frac{dB\Delta + 20 \cdot \text{Log}(\text{Amps}_{\text{start}})}{20} \right)}$$

dB Correction for distance change (antenna far field)

$$dB = 20 \cdot \text{Log} \left(\frac{\text{distance}_2}{\text{distance}_1} \right)$$



Sine Wave

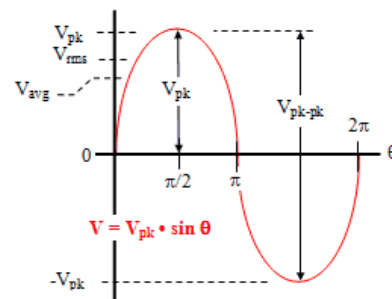
Voltage levels for a sine wave

$$\text{Volts}_{\text{peak}} = \sqrt{2} \cdot \text{Volts}_{\text{rms}} = \frac{\pi}{2} \cdot \text{Volts}_{\text{Avg}}$$

$$\text{Volts}_{\text{rms}} = \frac{\text{Volts}_{\text{peak}}}{\sqrt{2}} = \frac{\pi}{2 \cdot \sqrt{2}} \cdot \text{Volts}_{\text{Avg}}$$

$$\text{Volts}_{\text{avg}} = \frac{2}{\pi} \cdot \text{Volts}_{\text{peak}} = \frac{2 \cdot \sqrt{2}}{\pi} \cdot \text{Volts}_{\text{Avg}}$$

$$\text{Volts}_{\text{peak-peak}} = 2 \cdot \text{Volts}_{\text{peak}}$$



w/ Impedance of air = 377 Ω

$$dB\mu V/m \text{ to } dBm/m^2 \quad dBm/m^2 = dB\mu V/m - 115.8$$

$$dBm/m^2 \text{ to } dB\mu V/m \quad dB\mu V/m = dBm/m^2 + 115.8$$

$$dB\mu A/m \text{ to } dB\mu V/m \quad dB\mu V/m = dB\mu A/m + 51.5$$

$$dB\mu V/m \text{ to } dB\mu A/m \quad dB\mu A/m = dB\mu V/m - 51.5$$

$$dB\mu A/m \text{ to } dBpT \quad dBpT = dB\mu A/m + 2$$

$$dBpT \text{ to } dB\mu A/m \quad dB\mu A/m = dBpT - 2$$

$$Watts/m^2 \text{ to } V/m \quad V/m = \sqrt{Watts/m^2 \cdot 377}$$

$$V/m \text{ to } Watts/m^2 \quad Watts/m^2 = \frac{V/m^2}{377}$$

Radiated Field

$$dB\mu V/m \text{ to } V/m \quad V/m = 10^{\left(\frac{dB\mu V/m - 120}{20}\right)}$$

$$V/m \text{ to } dB\mu V/m \quad dB\mu V/m = 20 \cdot \text{Log}(V/m) + 120$$

New V/m with dBΔ

$$V/m_{new} = 10^{\left(\frac{dB\Delta + 20 \cdot \text{Log}(V/m_{start})}{20}\right)}$$

Interpolation values on a graph w/ Log of frequency
This equation works for finding all points on a test curve where test limit is sloping (i.e. DO 160F BCI testing)

$$value_{new} = \frac{\text{Log}\left(\frac{freq_{new}}{freq_{lower}}\right)}{\text{Log}\left(\frac{freq_{upper}}{freq_{lower}}\right)} \cdot (value_{upper} - value_{lower}) + value_{lower}$$

Current Injection

Power needed for BCI probe (50Ω) for given Insertion loss (IL(dB))

$$Watts = 10^{\left(\frac{IL + 10 \cdot \text{Log}\left(\frac{Volts^2}{50}\right)}{10}\right)}$$

$$Watts = 10^{\left(\frac{IL + 10 \cdot \text{Log}(Amps^2 \cdot 50)}{10}\right)}$$

$$Watts = 10^{\left(\frac{IL + dB\mu A - 73}{10}\right)}$$

Power needed for BCI probe or EM Clamp (150Ω) for given Insertion loss (IL(dB))

$$Watts = 10^{\left(\frac{IL + 10 \cdot \text{Log}\left(\frac{Volts^2}{150}\right)}{10}\right)}$$

$$Watts = 10^{\left(\frac{IL + 10 \cdot \text{Log}(Amps^2 \cdot 150)}{10}\right)}$$

Conducted current measurement using a current probe. Where reading is in dBμV and probe factor is dBΩ or Ω

$$dB\mu A = dB\mu V - dB\Omega$$

$$dB\mu A = dB\mu V - 20 \cdot \text{Log}(\Omega)$$

Power needed for TEM Cell

$$Watts = \frac{(V/m \cdot Height \cdot 0.5)^2}{Z_{(50\Omega)}}$$

Power needed for GTEM Cell

$$Watts = \frac{(V/m \cdot SpectralHeight)^2}{Z_{(50\Omega)}} \cdot 1.08$$

Wave length (λ)

$$\lambda[meters] = \frac{300}{MHz} \quad \frac{1}{4} \lambda[meters] = \frac{75}{MHz}$$

Period

$$Time(s) = \frac{1}{Hz} \quad Hz = \frac{1}{Time(s)}$$

VSWR

VSWR given Fwd/Rev power

$$VSWR = \frac{1 + \sqrt{\frac{Watts_{rev}}{Watts_{fwd}}}}{1 - \sqrt{\frac{Watts_{rev}}{Watts_{fwd}}}}$$

VSWR given Return Loss (RL)

$$VSWR = \frac{1 + 10^{\left(\frac{-RL(dB)}{20}\right)}}{1 - 10^{\left(\frac{-RL(dB)}{20}\right)}}$$

VSWR Given Impedance (Z)

$$Z_o > Z_L \quad VSWR = \frac{Z_o}{Z_L}$$

$$Z_L > Z_o \quad VSWR = \frac{Z_L}{Z_o}$$

VSWR given reflection coefficient (Γ)

$$VSWR = \frac{1 + \Gamma}{1 - \Gamma}$$

Reflection Coefficient (Γ)

$$\Gamma = \sqrt{\frac{Watts_{rev}}{Watts_{fwd}}}$$

$$\Gamma = \left| \frac{Z_{load} - Z_{Amp}}{Z_{load} + Z_{Amp}} \right|$$

$$\Gamma = \frac{VSWR - 1}{VSWR + 1}$$

$$\Gamma = 10^{\left(\frac{-RL(dB)}{20}\right)}$$

Return Loss (RL) in dB

$$RL(dB) = -20 \cdot \text{Log} \left(\frac{VSWR - 1}{VSWR + 1} \right)$$

$$RL(dB) = 10 \cdot \text{Log} \left(\frac{Watts_{fwd}}{Watts_{rev}} \right)$$

$$RL(dB) = -20 \cdot \text{Log}(\Gamma)$$

Transmission Loss (TL) in dB

$$TL(dB) = 10 \cdot \text{Log} \left(\frac{Watts_{fwd}}{Watts_{fwd} - Watts_{rev}} \right)$$

$$TL(dB) = -10 \cdot \text{Log}(1 - \Gamma^2)$$

$$TL(dB) = -10 \cdot \text{Log} \left(1 - \left(10^{\left(\frac{-RL(dB)}{20}\right)} \right)^2 \right)$$

$$TL(dB) = -10 \cdot \text{Log} \left(1 - \left(\frac{VSWR - 1}{VSWR + 1} \right)^2 \right)$$

Antenna Equations

Far Field Distance

Dipole & Log-periodic antenna

$$FarField = \frac{\lambda}{2 \cdot \pi}$$

Horn antenna $FarField = \frac{2 \cdot aperture^2}{\lambda}$

Far Field Equations

Gain over isotropic $Gain_{Numeric} = 10^{\left(\frac{Gain_{dBi}}{10}\right)}$

$$Gain_{dBi} = 10 \cdot \text{Log}(Gain_{numeric})$$

$$Gain_{Numeric} = \frac{(Meters \cdot v/m)^2}{30 \cdot Watts}$$

$$Gain_{dBi} = 10 \cdot \text{Log}\left(\frac{(Meters \cdot v/m)^2}{30 \cdot Watts}\right)$$

$$Gain_{dBi} = 20 \cdot \text{Log}(MHz) - AF - 29.79$$

Antenna Factor (AF)

$$AF = 20 \cdot \text{Log}(MHz) - Gain_{dBi} - 29.79$$

$$AF = 20 \cdot \text{Log}(MHz) - 10 \cdot \text{Log}(Gain_{numeric}) - 29.79$$

Find Antenna Spot size, Beam Width and Distance

$$Spot_{meters} = 2 \cdot Distance_{meters} \tan\left[\frac{Angle_{3dB}}{2}\right]$$

$$Distance_{meters} = \frac{Spot_{meters}}{2 \cdot \tan\left(\frac{Angle_{3dB}}{2}\right)}$$

$$Angle_{3dB} = 2 \cdot \tan^{-1}\left[\frac{Spot_{meters}}{2 \cdot Distance}\right]$$

Field Strength

$$V/m = \frac{\sqrt{30 \cdot Watts \cdot Gain_{numeric}}}{Meters}$$

$$V/m = \frac{\sqrt{30 \cdot Watts \cdot 10^{\left(\frac{Gain_{dBi}}{10}\right)}}}{Meters}$$

$$Watts = \frac{(v/m \cdot meters)^2}{30 \cdot Gain_{numeric}}$$

$$Watts = \frac{(v/m \cdot meters)^2}{30 \cdot 10^{\left(\frac{Gain_{dBi}}{10}\right)}}$$

Power needed if gain remains constant (in Far Field) using same antenna and changing field level or test distance.

$$\text{For Field Change } Watts_{New} = Watts_{Old} \frac{(v/m_{New})^2}{(v/m_{Old})^2}$$

For Distance Change

$$Watts_{New} = Watts_{Old} \frac{(Meters_{New})^2}{(Meters_{Old})^2}$$

Power for given Amplitude Modulation %

$$Watts_{peak} = Watts_{CW} \cdot (1 + (\% \cdot 0.01))^2$$

$$Watts_{avg} = \frac{Watts_{CW} \cdot (2 + (\% \cdot 0.01)^2)}{2}$$

$$Watts_{avg} = \frac{Watts_{peak} \cdot (2 + (\% \cdot 0.01)^2)}{2 \cdot (1 + (\% \cdot 0.01))^2}$$

Power for given Pulse Modulation
Duty Cycle %

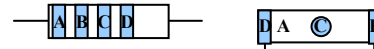
$$Watts_{peak} = \frac{Watts_{avg}}{\% \cdot 0.01}$$

Useful conversions

- 1 in = 0.0254 m
- 1 ft = 0.3048 m
- 1 yd = 0.9144 m
- 1 in² = 0.00064516 m²
- 1 ft² = 0.092903 m²
- 1 yd² = 0.83612736 m²
- 1 in³ = 0.000016387064 m³
- 1 ft³ = 0.028316846 m³
- 1 yd³ = 0.764554858 m³
- 1 lb = 0.45359237 kg
- 1 psi = 6,894.7573 Pa (Pascal)
- 1 hp = 550 ft•lb/sec = 745.6999 Watts
- °C = (°F-32)/1.8

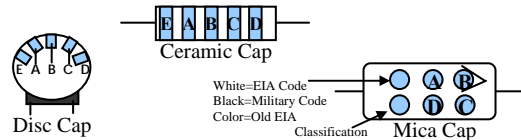
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1,000,000,000 = 10 ⁹	giga	G
1,000,000 = 10 ⁶	mega	M
1,000 = 10 ³	kilo	k
100 = 10 ²	hecto	h
0.01 = 10 ⁻²	centi	c
0.001 = 10 ⁻³	milli	m
0.000001 = 10 ⁻⁶	micro	μ
0.000000001 = 10 ⁻⁹	nano	n
0.0000000000001 = 10 ⁻¹²	pico	p
0.0000000000000001 = 10 ⁻¹⁵	femto	f
0.0000000000000000001 = 10 ⁻¹⁸	atto	a
0.00000000000000000000001 = 10 ⁻²¹	zepto	z
0.0000000000000000000000001 = 10 ⁻²⁴	yocto	y

Resistor Color Codes



1 st (A)	2 nd (B)	Multiplier (C)	Tolerance (D)	Color
0	0	1	1%	Black
1	1	10	2%	Brown
2	2	100	3%	Red
3	3	10 ³	4%	Orange
4	4	10 ⁴		Yellow
5	5	10 ⁵		Green
6	6	10 ⁶		Blue
7	7	10 ⁷		Violet
8	8	10 ⁸		Gray
9	9	10 ⁹		White
Gold		0.1	5%	
Silver		0.01	10%	
No color			20%	

Capacitor Color Codes



Color Codes for Ceramic Caps

Multi plier (C)	Tolerance (D)		Temp Coef ppm/°C (E)	Color
	Abo ve 10pf	Below 10pf		
1	20	2.0	0	Black
10	1		-30	Brown
100	2		-80	Red
1000	3		-150	Orange
	4		-220	Yellow
	5	0.5	-330	Green
	6		-470	Blue
	7		-750	Violet
0.01	8	0.25	30	Gray
0.1	10	1.0	500	White